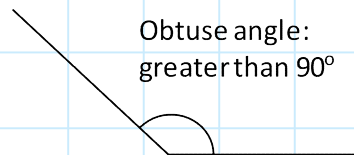
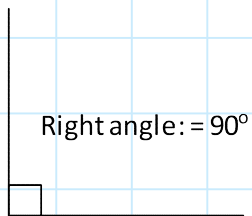
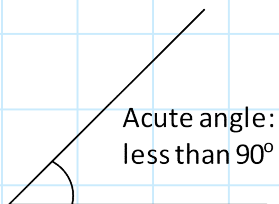
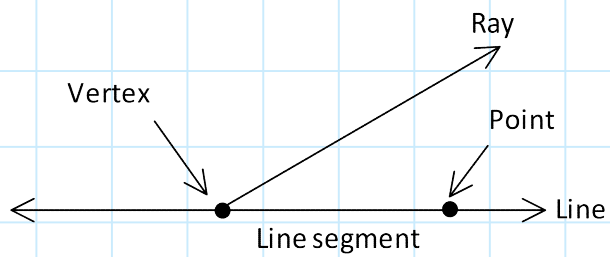
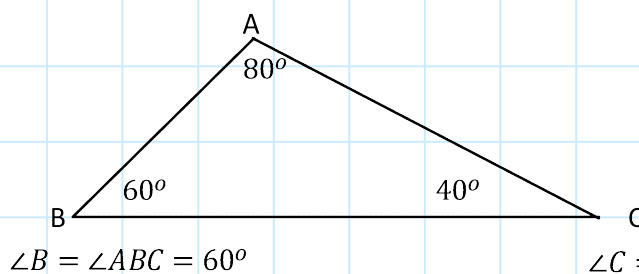
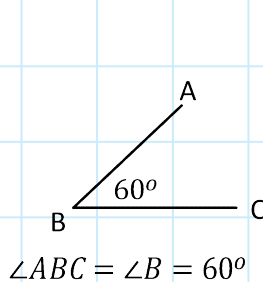


# M9 - 10.0 - Angles/Triangles/Parallel/Lines Notes

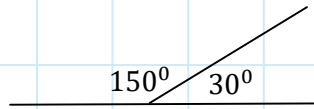


$$\angle C = \angle BAC = 80^\circ$$



# M9 - 10.1 - Lines/Angles/Parallel Review Notes

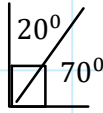
**Supplementary**



**Angles on a line sum to 180°.**

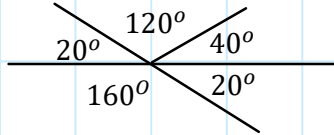
$$\angle 1 + \angle 2 = 180^\circ$$

**Complementary**



**Angles sum to 90°.**

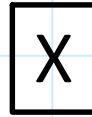
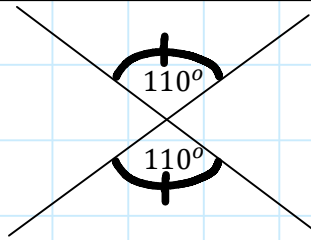
$$\angle 1 + \angle 2 = 90^\circ$$



**∠'s on a point add to 360°**

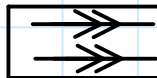
$$180^\circ + 180^\circ = 360^\circ$$

**Opposite Angles are Equal.**

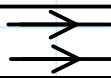


OPP ∠ 's =  
 $\angle 1 = \angle 2$

Tick Equal Angles

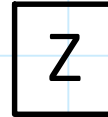
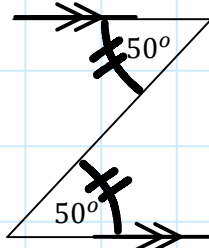


Parallel lines: Lines never touch



Tick/Double Arrow Parallel Lines

**Alternate Interior Angles Equal.**



Alt Int. ∠ 's =  
 $\angle 1 = \angle 2$

Rotate the Page

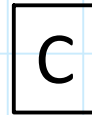
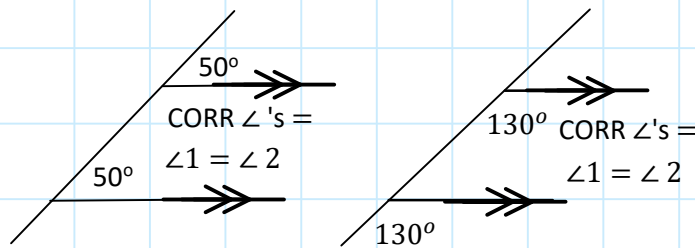
Double Tick Equal Angles

Alternate: Across a Transversal.

Interior: Inside Parallel Lines.

Transversal: a line through Parallel Lines.

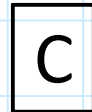
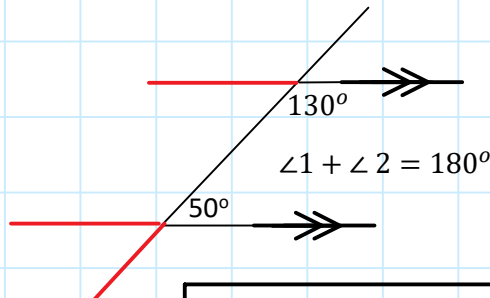
**Corresponding Angles Equal.**



CORR ∠ 's =  
 $\angle 1 = \angle 2$

**Co-Interiors ∠'s add to 180°**

Co-Interior: Same side of a Transversal

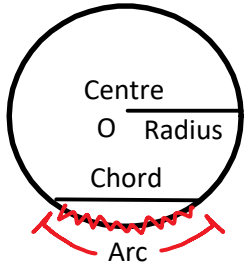


$$\angle 1 + \angle 2 = 180^\circ$$

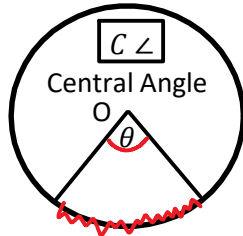
Extend the (Parallel/Transversal) Lines

# M9 - 10.2 - Circles/Inscribed/Central Angles/Arc/Chords Notes

O : Centre of Circle



Chord: Edge to Edge

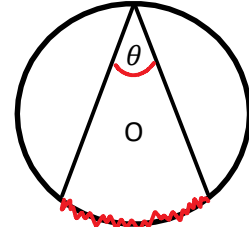


Central ∠ : on the Centre

∠ : Angle

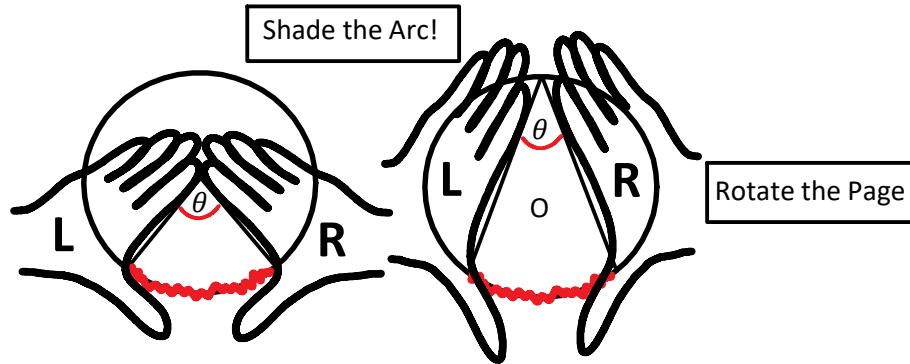
θ is a Greek symbol for an Angle

Inscribed Angle I ∠

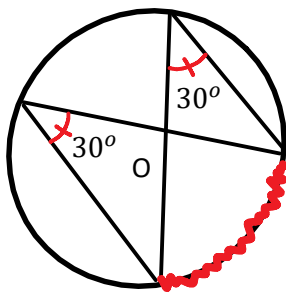


Inscribed ∠ : on the Edge

1. Make a Slice of Pie with your Left and Right Hand.
2. Central/Inscribed Angle is between your Index Fingers.
3. Arc is crust of piece of pie.



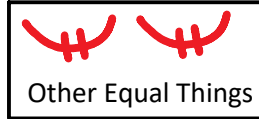
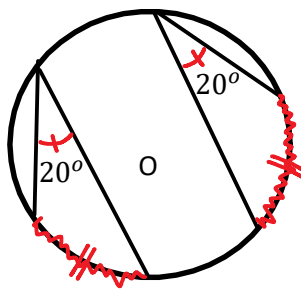
$$I \angle = I \angle$$



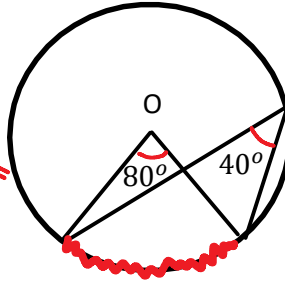
Inscribed Angles from Same/Equal Arc are Equal.



$$I \angle = I \angle$$



$$C \angle = 2 \times I \angle$$

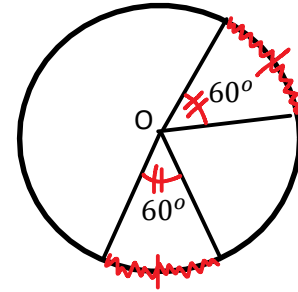


Central Angles are Twice Inscribed Angles from Same/Equal Arc.

$$I \angle = \frac{1}{2} \times C \angle$$

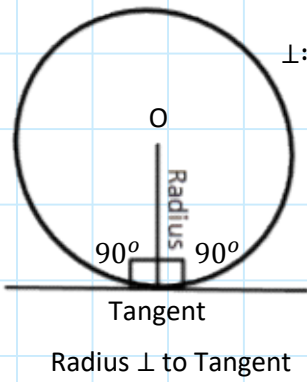
Inscribed Angles are Half Central Angles from Same/Equal Arc.

$$C \angle = C \angle$$



Central Angles from Equal Arc are Equal.

# M9 - 10.3 - Circles/Semi/Tangents/Polygons Notes

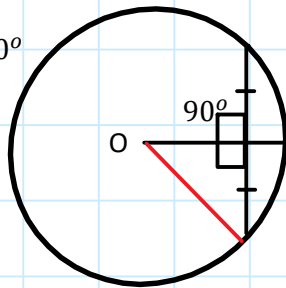


⊥: Perpendicular  $90^\circ$

Radius  $\perp$  to Tangent

Tangent: Line meets Circle Edge

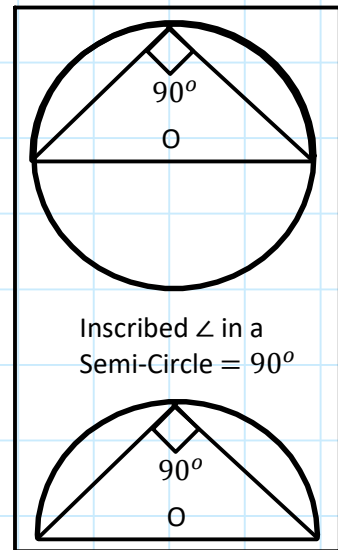
Draw a Radius



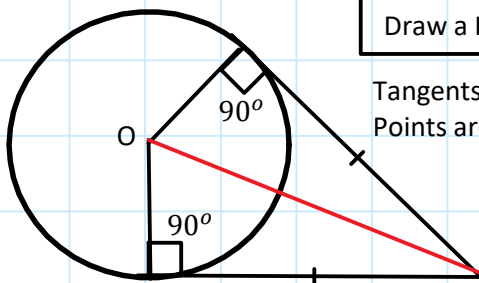
Radius  $\perp$  to Chord

$\perp$  Bisects Chord & goes through Centre

(Bisects: Cuts in Half)



Inscribed  $\angle$  in a Semi-Circle =  $90^\circ$

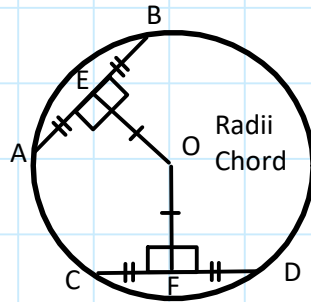


Draw a Radius to Ext Pt.

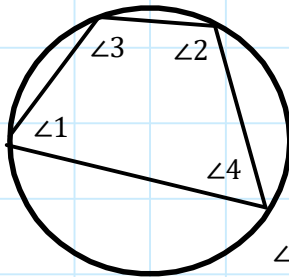
Tangents to Exterior Points are Equal.

If:  $OE = OF$   
Then:  $AB = CD$

Exterior Point (Ext Pt)



Radii Chord



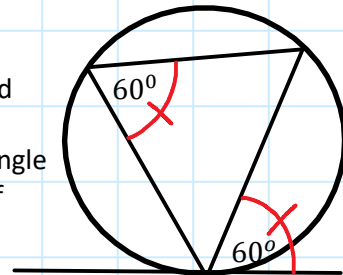
$$\angle 1 + \angle 2 = 180^\circ$$

$$\angle 3 + \angle 4 = 180^\circ$$

Interior Angles in a Cyclic Quadrilateral sum to  $360^\circ$ .

$$\angle 1 + \angle 2 + \angle 3 + \angle 4 = 360^\circ$$

$\angle$  Between Tangent and Chord = Inscribed Angle Opposite of Chord.



Int  $\angle$ : Interior  
Ext  $\angle$ : Exterior  
 $n$ : # of Sides  
 $\Sigma$ : Sum

$$Int \angle = \frac{\# \Delta's \times 180^\circ}{n}$$

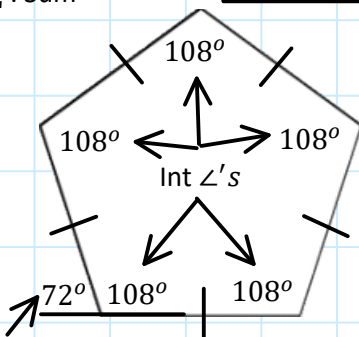
OR

$$\Sigma Int \angle = (n - 2) \times 180^\circ$$

$$\Sigma Int \angle = (5 - 2) \times 180^\circ$$

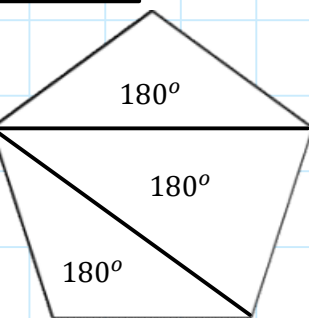
$$\Sigma Int \angle = 3 \times 180^\circ$$

$$\Sigma Int \angle = 540^\circ$$



Ext  $\angle$  Pentagon: 5 Sides

$$Ext \angle's \Sigma = 360^\circ$$



Draw Triangles to Vertices (Without Overlap)

$$Int \angle = \frac{\Sigma Int \angle's}{n} = \frac{(n-2) \times 180^\circ}{n}$$

$$Int \angle = \frac{540^\circ}{5}$$

$$Int \angle = 108^\circ$$

# M9 - 10.4 - Triangles/Similar/Congruent Notes

**Congruent (Equal) Triangle's**

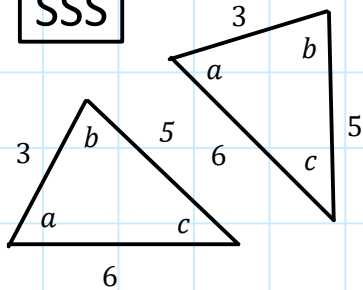
Triangles are Congruent if:

**Like : Like**

**Side Side Side**

**SSS**

$\angle a = \angle a$   
 $\angle b = \angle b$   
 $\angle c = \angle c$

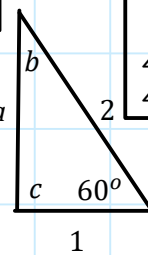
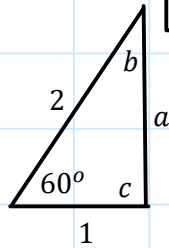


A Side then a Side then a Side

**IN ORDER!**

**Side Angle Side**

**SAS**

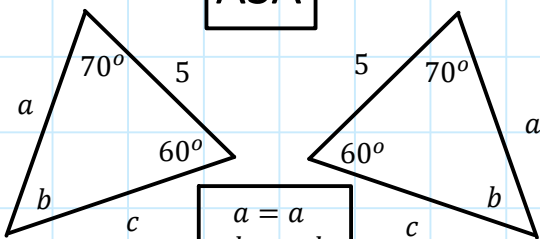


$a = a$   
 $\angle b = \angle b$   
 $\angle c = \angle c$

A Side then an Angle then a Side

**Angle Side Angle**

**ASA**

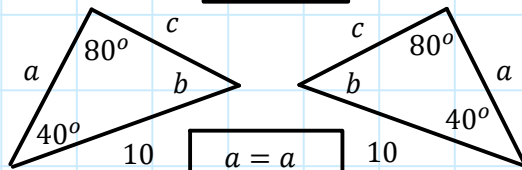


$a = a$   
 $\angle b = \angle b$   
 $c = c$

An Angle then a Side then an Angle.

**Angle Angle Side**

**AAS**

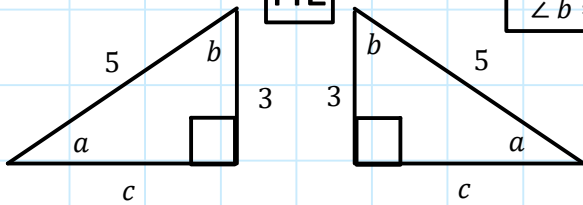


$a = a$   
 $\angle b = \angle b$   
 $c = c$

An Angle then an Angle then a Side.

**Hypotenuse Leg**

**HL**

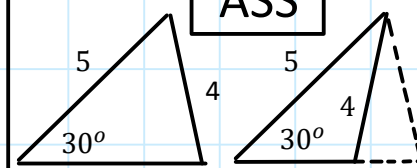


$c = c$   
 $\angle a = \angle a$   
 $\angle b = \angle b$

A Hypotenuse and a Leg

**Angle Side Side**

**ASS**



**Neither!**

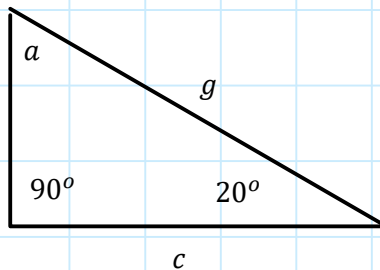
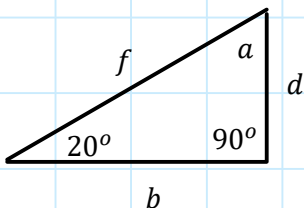
Unless they are!

**Similar Triangles**

**Equal Fractions**

**Angle Angle Angle**

**AAA**



$\frac{b}{c} = \frac{d}{e} = \frac{f}{g}$

Can be used for all Congruent Triangles as well (for sides\*)!

**3rd Angle in a Triangle**

$\angle a = \angle a$   
 $180^\circ - 90^\circ - 20^\circ = 70^\circ$