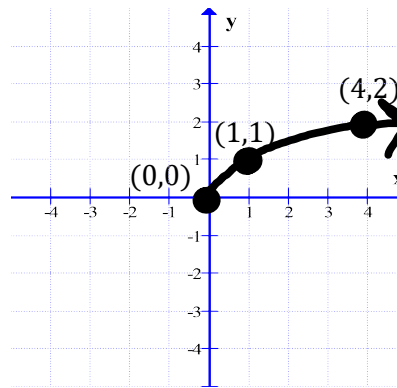


C12 - 2.1 - Radical Translations Notes

$$y = \sqrt{x}$$

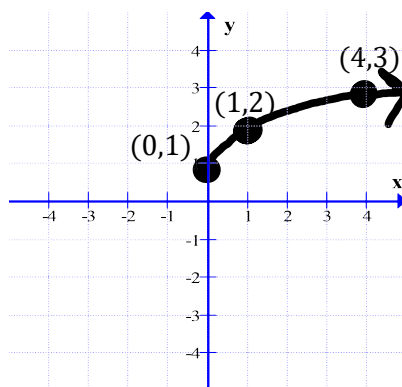
x	y
-1	und
0	0
1	1
4	2
9	3



$$y = \sqrt{x}$$

Notice it's half a parabola!

Remember: Choose increments of x in your table of values that square root easily.



$$y = \sqrt{x} + 1$$

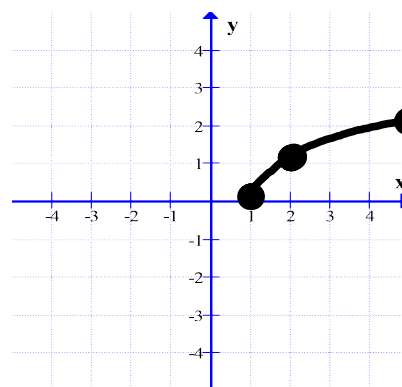
Up 1

Domain: Set Underneath root \geq zero and solve

Range

$$x \geq 0$$

$$y \geq 1$$



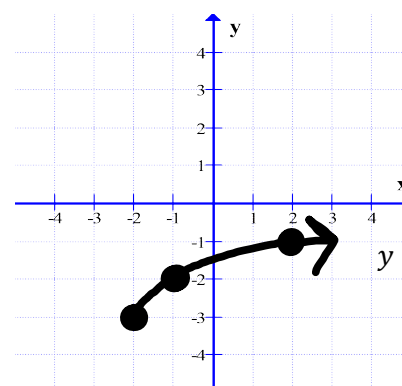
$$y = \sqrt{x - 1}$$

Right 1

$$x - 1 \geq 0$$

$$y \geq 0$$

$$x \geq 1$$



$$y = \sqrt{x + 2} - 3$$

Left 2, Down 3

$$x + 2 \geq 0$$

$$y \geq -3$$

$$x \geq -2$$

$$y = \sqrt{x - h} + k$$

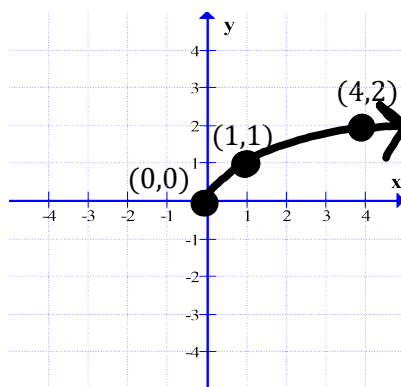
Vertex (h, k)

Vertex $(-2, -3)$

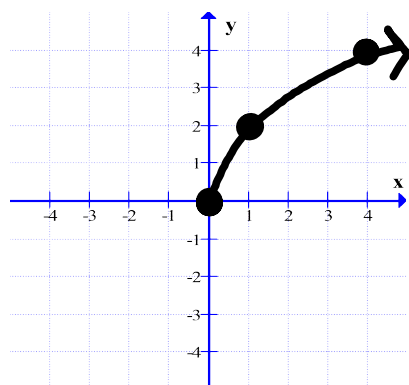
C12 - 2.2 - Radical Transformations Notes

$$y = \sqrt{x}$$

x	y
-1	und
0	0
1	1
4	2
9	3



$$y = \sqrt{x}$$



$$y = 2\sqrt{x}$$

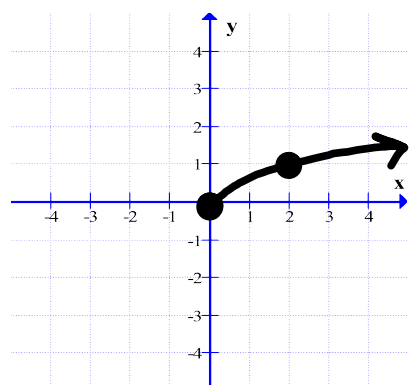
Vertical Expansion = 2

Domain:

Range

$$x \geq 0$$

$$y \geq 0$$



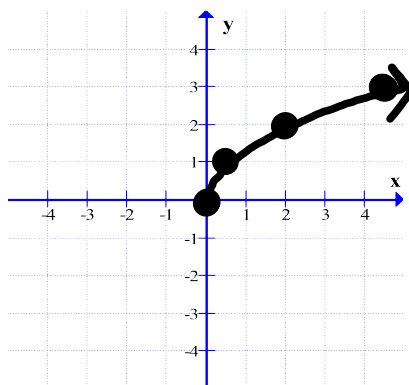
$$y = \sqrt{\frac{1}{2}x}$$

Horizontal Expansion = 2

$$\frac{1}{2}x \geq 0$$

$$y \geq 0$$

$$x \geq 0$$



$$y = \sqrt{2x}$$

Horizontal Compression = $\frac{1}{2}$

$$2x \geq 0$$

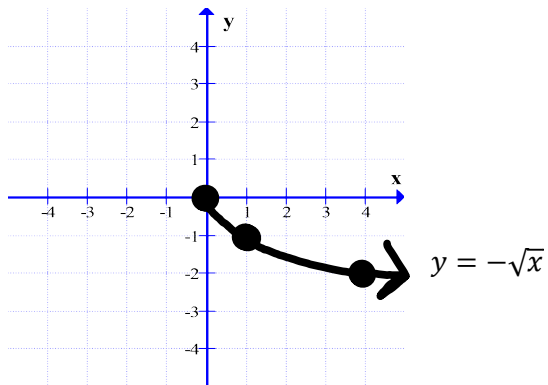
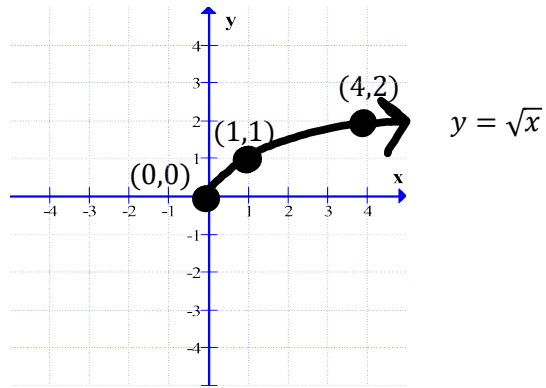
$$y \geq 0$$

$$x \geq 0$$

C12 - 2.3 - Radical Reflections Notes

$$y = \sqrt{x}$$

x	y
-1	und
0	0
1	1
4	2
9	3



Vertical Reflection

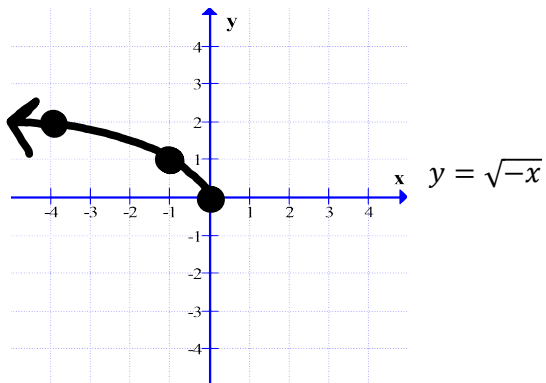
Domain:

Range

$$x \geq 0$$

$$y \leq 0$$

$$x \geq 0$$

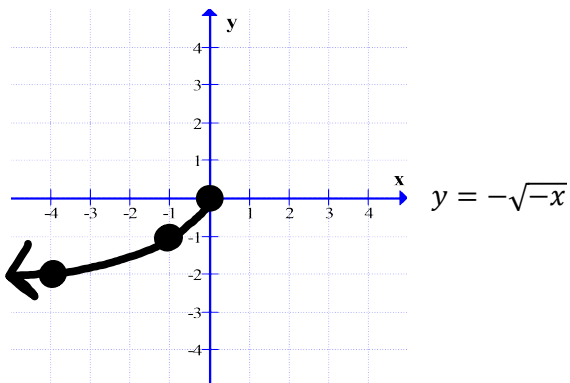


Horizontal Reflection

$$-x \geq 0$$

$$y \geq 0$$

$$x \leq 0$$



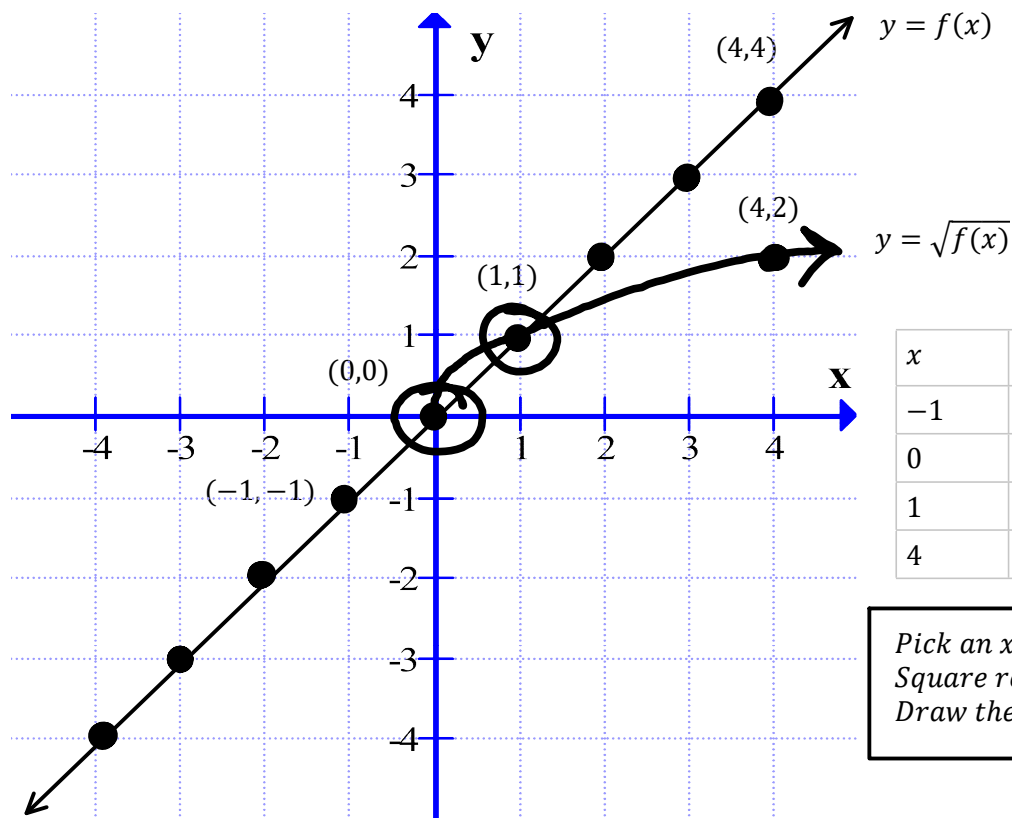
Vertical and
Horizontal
Reflection

$$\begin{aligned} -x &\geq 0 \\ x &\leq 0 \end{aligned}$$

$$y \leq 0$$

C12 - 2.4 - Square Root Functions Notes

Draw the graph of \sqrt{x} from the graph of $f(x)$ and label the invariant points and state the domain and range.



$y = x$				$y = \sqrt{x}$	
x	$y = f(x)$	Invariant Points:	x	$\sqrt{f(x)}$	
-1	-1		-1	und	
0	0		0	0	
1	1		1	1	
4	4		4	2	
		(0,0)			
		(1,1)			

Domain: $x \in \mathbb{R}$

Domain: $x \geq 0$

Range: $y \in \mathbb{R}$

Range: $y \geq 0$

Remember: Cant square root a negative

Remember: Choose x -values whose y values can square root evenly if possible

Remember: Invariant points are on the line $y = 1$ and $y = 0$

Remember: Any point with a y - value of "1" or "0" is invariant. $(x, 1)$ and $(x, 0)$