

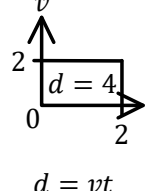
C12 - 0.0 - Methods Limits/Derivatives/Integrals

<u>Limits</u>	Conjugate Top/Bot/Both/FL*	<u>LCD</u> Add Fractions top and bottom, flip and multiply.	OR
Extreme Table of Values	Multiply by "1"		
Substitution (if Continuous*)	Fractions/Separate	Multiply top and bottom by LCD	
Factoring/FOIL/Graphing	Trig Identities	(Complex Fractions)	

<u>Horizontal Asymptotes</u>	$\lim_{x \rightarrow +\infty} f(x) = \#$	<u>Vertical Asymptotes</u>	$\lim_{x \rightarrow a^-} = \pm\infty$
*Divide top and bottom by x to the highest exponent of x in denominator	$\lim_{x \rightarrow -\infty} f(x) = \#$ OR	*Denominator=0	$\lim_{x \rightarrow a^+} = \pm\infty$ OR
	HA: y = # *Rationals		VA: x = a

<u>Derivatives</u>	<u>Definition of the Derivative</u>	<u>Alternatives!</u>
$m = f'(a) =$	$f'(x) = \lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$	$m = f'(a) = \lim_{x \rightarrow a} \frac{f(x) - f(a)}{x - a}$
$\frac{d}{dx} x^2$; Take derivative of x^2	Derivative Laws	$m = f'(a) = \lim_{h \rightarrow 0} \frac{f(a+h) - f(a)}{h}$
		Can Sub x before simplification

Calc Math 8	Ln Both Sides	Staples!	$p(t) = \int v(t)dt + C$
$v_{inst} = p'(t)$	$v_{ave} = \frac{p_2 - p_1}{t_2 - t_1}$	$v(t) = \frac{d}{dt} p(t)$	$v(t) = \int a(t)dt + C$
		$a(t) = \frac{d}{dt} v(t)$	

<u>FUNDAMENTAL THEOREM OF CALCULUS</u>	$A = \int_a^b f(x)dx = F(b) - F(a)$	<u>Average Value</u> = $\frac{1}{b-a} \int_a^b f(x)dx$ [a, b]	
	$F(x)$ is the antiderivative of $f(x)$	$v_{ave} = \frac{1}{2-0} \int_0^2 2dx = 2$	$d = vt$

<u>Integration</u>	Indefinite +C - Anti	Upper-Lower* - Domain! Intersections!	Y-Land
Geometry	Definite - Integral - Anti		Flip Page 90° CCW
Riemann Sum	Integration Rules/Reverse Chain!	Calc Math 9	Right to Left
RLM RAM	Algebra/Long Div/Comp Square		Integration:
Trap Rule	Exponent/Fraction Laws	Cylindrical Shells	Parts, Partial Fractions
Graphing TOV	Factoring/Distribution/Piecewise	$V = 2\pi \int_a^b xydx$	Trig Sub
symbolab.com	U Substitution/Tricky*/+@#-@#..		
	Trigonometry ID's/Sub/Conj		

<u>Distance vs Displacement!</u>	$Distance = \int f(x) dx$	$Displacement = \int f(x)dx$	Area Enclosed vs Integral!
$A = \int (f_{upper} - g_{lower}) dx$	<u>Volume</u>	$V_{circles} = \pi \int (f(x))^2 dx$	$A = \pi r^2$
$V = \pi \int (r_{outer}^2 - r_{inner}^2) dx$	$V = \int_a^b A(x) dx$	$V_{squares} = \int (f(x))^2 dx$	$A = s^2$
			$s, r = f(x)$

<u>FUNDAMENTAL THEOREM OF CALCULUS</u>	$F(b) = F(a) + \int_a^b f(x) dx$	$F(b) = F(0) + \int_0^b f(x) dx$
Definite Integral as a Net Change	FTP1 + F(a)	