

S12 - 3.1 - Statistics Mean Notes

Parameters (Pop ;N) or Statistics (Sample ; n-1)

Data : 2,4,5,6,8 **Mean** $\mu = \frac{x_1 + x_2 + x_3 + \dots + x_n}{n}$ μ or $\bar{x} = \text{mean}$ (Average)

n : # of data* **"Mhew"** $\mu = \frac{2 + 4 + 5 + 6 + 8}{5} = \frac{25}{5} = 5$ **Mean** = $\frac{\text{All Numbers Added}}{\text{Number of Numbers}}$

Median: Middle number = 5

Range: Top# - Bottom# = 8 - 2 = 6

Mode: Most occurring number **No Mode**

Data: 3, 3, 5, 7 **Median** = $\frac{3 + 5}{2} = \frac{8}{2} = 4$
Mode = 3

| Data | x | x - μ | (x - μ) ² |
|------|----|-------|----------------------|
| 1) | 2 | -3 | 9 |
| 2) | 4 | -1 | 1 |
| 3) | 5 | 0 | 0 |
| 4) | 6 | 1 | 1 |
| 5) | 8 | 3 | 9 |
| Sum | 25 | | 20 |

$\sigma_s = \sqrt{\frac{\text{sum of the squares of the differences from the mean}}{\text{number of values} - 1}}$ $\sigma_s = s$

$\sigma_s = \sqrt{\frac{(x_1 - \mu)^2 + (x_2 - \mu)^2 + \dots + (x_n - \mu)^2}{n - 1}}$ **variance : σ^2**

$\sigma_s = \sqrt{\frac{(2 - 5)^2 + (4 - 5)^2 + (5 - 5)^2 + (6 - 5)^2 + (8 - 5)^2}{5 - 1}}$

$\sigma_s = \sqrt{\frac{(-3)^2 + (-1)^2 + (0)^2 + (1)^2 + (3)^2}{5 - 1}}$

$\sigma_s = \sqrt{\frac{9 + 1 + 0 + 1 + 9}{5 - 1}} = \sqrt{\frac{20}{4}} = \sqrt{5} \approx 2.24$

Notice it's a coincidence the mean and median are the same for simplicity in the math.

$\sigma_p = \sqrt{\frac{\sum(x_i - \mu)^2}{n}}$ Σ : Sum

$\sigma_p = \sqrt{\frac{20}{5}} = \sqrt{4} = 2$ Population (Parameters)

$\sigma_s = \sqrt{\frac{\sum(x_i - \mu)^2}{n - 1}}$

$\sigma_s = \sqrt{\frac{20}{4}} = \sqrt{5} = 2.24$ Sample (Statistics) **Bigger to account for bias in a small sample**

Ti-84 Calculator Instructions:

STAT **EDIT** **ENTER**
 Enter Data L1*

\bar{x} = mean
 Σx = sum data
 Σx^2 = sum data squared
 sx = stdev population
 σx = stdev sample
 n = # of data*
 $\text{min}X$ = min data
 Q_1 = 1st quartile 25% <
 Med = median
 Q_3 = 3rd quartile 75% <
 $\text{max}X$ = max data

Mean/Stdev TI-83: 1-Var Stats L1,L2*

STAT **CALC** **1-Var Stats** **ENTER**
 List: L1* (Freq See Below)
ENTER **ENTER** **ENTER***

\bar{x} = 5
 Σx = 25
 Σx^2 = 145
 sx = 2.24
 σx = 2
 n = 5
 $\text{min}X$ = 2
 Q_1 = 3
 Med = 5
 Q_3 = 7
 $\text{max}X$ = 8

Clear Data

DEL Cell
 Clear Column
 (Don't Press DEL) **Don't**
UP **CLEAR** **ENTER** **DOWN**
 L1 L2 L3 ...
 If you do
2nd **Ins** L#* (so as above)

Casio fx260

Enter Data **Mode** **0** **Mode** **.** **2** **M+** Repeat last two buttons for all data **Shift** **4-9**

Frequency Distribution

| Data | x | freq f(x) | x × f(x) |
|------|---|-----------|----------|
| 1) | 2 | 1 | 2 |
| 2) | 4 | 4 | 16 |
| 3) | 5 | 2 | 10 |
| 4) | 6 | 3 | 18 |
| 5) | 8 | 1 | 8 |
| Sum | | 11 | 44 |

Frequency: L2* FreqList: L2*

Frequency - number of occurrences of data

$\mu = \frac{x_1 + x_2 + x_3 + \dots + x_n}{n}$ $P_E(2) = \frac{1}{11}$
 $\mu = \frac{2 + 4 + 4 + 4 + 4 + 5 + 5 + 6 + 6 + 6 + 8}{11}$
 $\mu = \frac{44}{11} = 4$ **Median = 5**

$\mu = \frac{\sum xf(x)}{n}$
 $\mu = \frac{44}{11} = 4$

S12 - 3.2 - Statistics Frequency Mean Notes

Frequency Distribution

| Data | x | freq $f(x)$ | $x \times f(x)$ |
|------|-----|-------------|-----------------|
| 1) | 2 | 1 | 2 |
| 2) | 4 | 4 | 16 |
| 3) | 5 | 2 | 10 |
| 4) | 6 | 3 | 18 |
| 5) | 8 | 1 | 8 |
| Sum | | 11 | 44 |

Frequency: L2* FreqList: L2*

Frequency - number of occurrences of data

$$\mu = \frac{x_1 + x_2 + x_3 + \dots + x_n}{n}$$

$$P_E(2) = \frac{1}{11}$$

$$\mu = \frac{\sum xf(x)}{n}$$

$$\mu = \frac{2 + 4 + 4 + 4 + 4 + 5 + 5 + 6 + 6 + 6 + 8}{11}$$

$$\mu = \frac{44}{11} = 4$$

$$\mu = \frac{44}{11} = 4$$

Median = 5

$$\sigma_s = \sqrt{\frac{\text{sum of the squares of the differences from the mean}}{\text{number of values} - 1}}$$

$$\sigma_s = \sqrt{\frac{f(x_1 - \mu)^2 + f(x_2 - \mu)^2 + \dots + f(x_n - \mu)^2}{n - 1}}$$

$$\sigma_s = \sqrt{\frac{1(2 - 5)^2 + 4(4 - 5)^2 + 2(5 - 5)^2 + 3(6 - 5)^2 + 1(8 - 5)^2}{11 - 1}}$$

$$\sigma_s = \sqrt{\frac{1(-3)^2 + 4(-1)^2 + 2(0)^2 + 3(1)^2 + 1(3)^2}{11 - 1}}$$

$$\sigma_s = \sqrt{\frac{1(9) + 4(1) + 2(0) + 3(1) + 1(9)}{11 - 1}} = \sqrt{\frac{25}{10}} = \sqrt{2.5} = 1.58$$