Alternative is the Claim. Null: Nothing Changed. Fail/Reject is about  $H_0$ 

## S12 - 3.6 - Hyp Testing Notes

Claim: Average male height is NOT 160 cm? Gov' says  $\mu = 160$ . 100 males  $\overline{x} = 162 cm$ . s = 8 cm. 95% CL. Null Hypothesis  $H_0$ : Average male height is 160 cm  $H_{0}$ :  $\mu = 160 \ cm$ Alternate Hypothesis  $H_a$ : Average male height > or < 160 cm  $H_a: \mu \neq 160$ 95% Confidence Level n = 100 males Significance Level  $\mu = 162 cm$  $\frac{\overline{\sqrt{n}}}{162 - 160}$  $\alpha = 0.05$ Two Tail Test  $\sigma = 8cm$  $z\alpha = \pm 1.96$ 8 95% 2.5%*n* > 30 2.5%  $\sqrt{100}$ *<u>Reject Ho</u>*: There is sufficient evidence  $z_c = 2.5$ -1.96 $z_{\frac{\alpha}{2}} = 1.96$  $Z_{\frac{\alpha}{2}} =$ average male height is NOT 160cm at a **Critical Values**  $z_{c} = +2.5$ 95% confidence level. In a random sample 200 out of 1000 failed to finish university in under 4 years. (Finished in over 4 years/or did not finish\*) Claim: Less than 25% finish in university under 4 years. 99% CL. Null Hypothesis  $H_0: p = 0.25$ or  $H_0: p \ge 0.25$  $z_c = \frac{\ddot{p} - \mu}{\left|\frac{pq}{p}\right|}$ Alternative Hypothesis  $H_A: p < 0.25$ One Tail Test 200 q = 1 - p99% CL 1000 q = 1 - 0.299%  $SL\alpha = 0.01$ 0.2 - 0.251% a = 0.80.2(0.8) Fail to *Reject*  $H_{\Omega}$ : There is NOT sufficient evidence  $z_{\alpha} = -2.33$  $z_c = -1.25$ 1000 support the claim that 25% (Or More) of students **Critical Value** -1.25fail to finish university in under 4 years at a 99% confidence level. Claim: Average male height is more than 160 cm? Gov' says  $\mu = 160.25$  males  $\bar{x} = 162 cm.s = 8 cm.90\%$  CL.



